

Dynamics of Multi-Phase Interstellar Medium

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Collaboration with

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Keywords:

radiative cooling/heating,
thermal instability, MHD,
supersonic velocity dispersion, etc.

Observed “Turbulence” in ISM

Observation of Molecular Clouds

line-width $\delta v > C_s$

Universal Supersonic Velocity Dispersion

even in the clouds without star formation activity
should not due to star formation activity

Numerical Simulation of (Isothermal) MHD

Turbulence \Rightarrow Rapid Shock Dissipation or Cascade

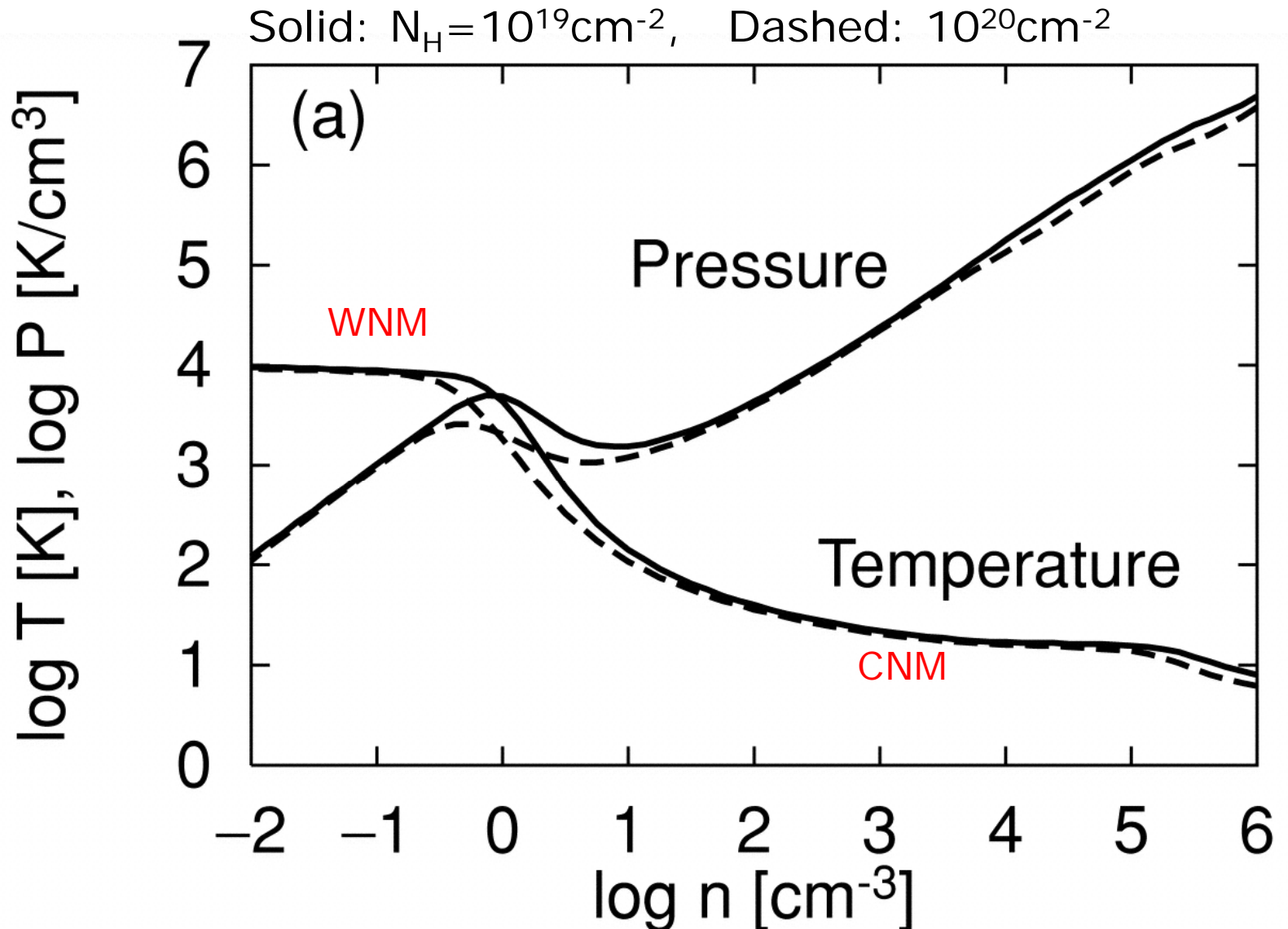
– Dissipation time \ll Lifetime of Molecular Clouds

- Gammie & Ostriker 1996, Mac Low 1997, Ostriker et al. 1999, Stone et al. 1999, etc...

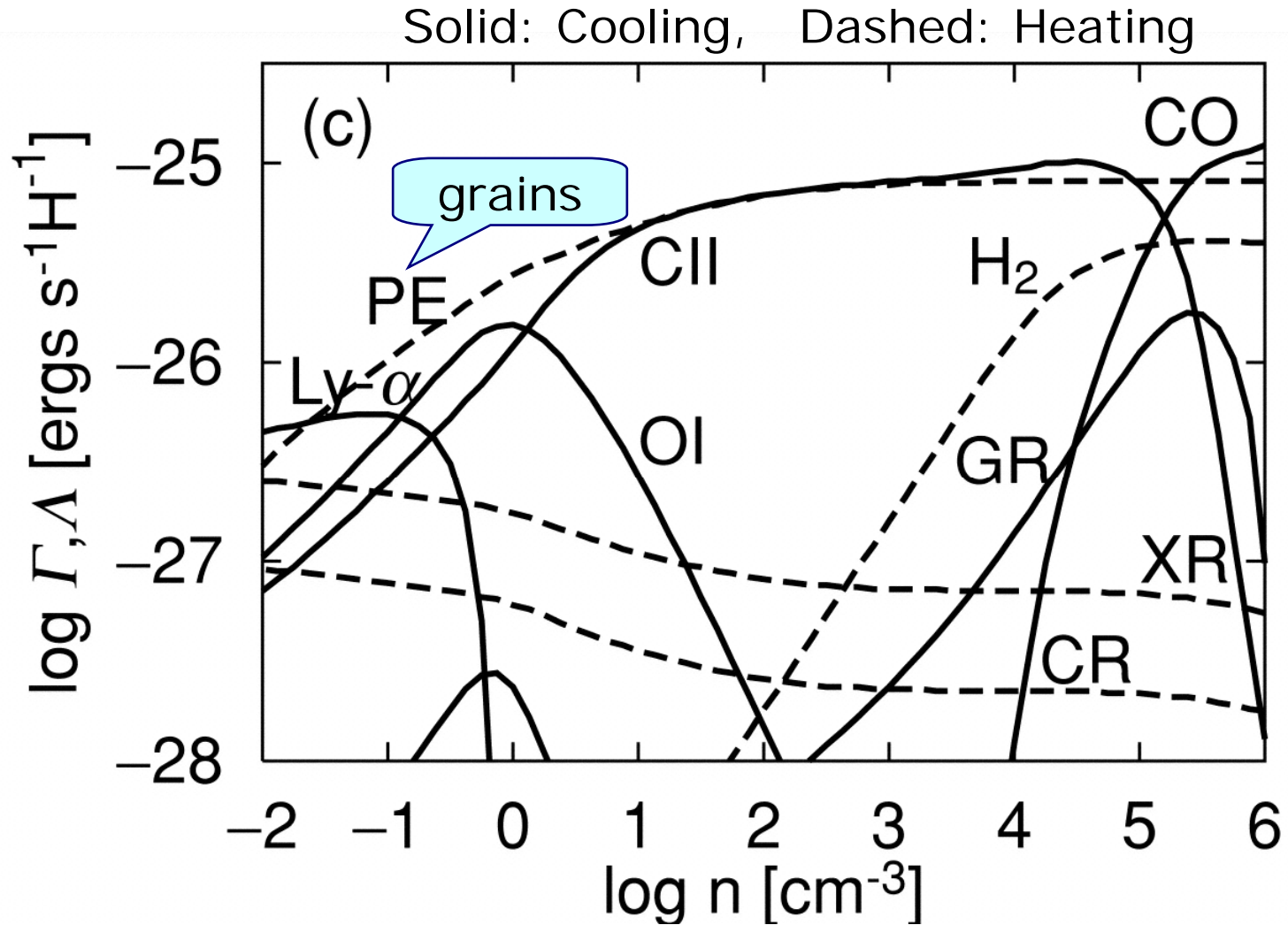
Recent Study on Origin of Supersonic Motion

- Koyama & Inutsuka, ApJ **532**, 980, 2000; ApJL **564**, L97, 2002
- Kritsuk & Norman 2002a, ApJ **569**, L127; 2002b ApJ **580**, L51
- Audit & Hennebelle 2005, A&A **433**, 1
- Heitsch, Burkert, Hartmann et al. 2005, ApJ **633**, L113, Vazquez-Semadeni et al. 2006, etc...

Radiative Equilibrium



Radiative Cooling & Heating



Basic Equations

$$\frac{\partial \rho}{\partial t} + \nabla \cdot (\rho \mathbf{v}) = 0,$$

$$\frac{\partial \mathbf{v}}{\partial t} + \mathbf{v} \cdot \nabla \mathbf{v} = -\frac{1}{\rho} \nabla P + \frac{(\nabla \times \mathbf{B}) \times \mathbf{B}}{4\pi\rho},$$

$$\frac{\partial \rho e}{\partial t} + \nabla \cdot (\rho e \mathbf{v}) + P \nabla \cdot \mathbf{v} - \frac{|(\nabla \times \mathbf{B}) \times \mathbf{B}|^2}{16\pi^2 A \rho \rho_i} = \rho \Gamma - \rho^2 \Lambda(T) + \nabla \cdot (K \nabla T),$$

$$\frac{\partial \mathbf{B}}{\partial t} = \nabla \times (\mathbf{v}_i \times \mathbf{B}),$$

radiative heating/cooling

$$\mathbf{v}_i - \mathbf{v} = \frac{(\nabla \times \mathbf{B}) \times \mathbf{B}}{4\pi A \rho \rho_i},$$

thermal conduction

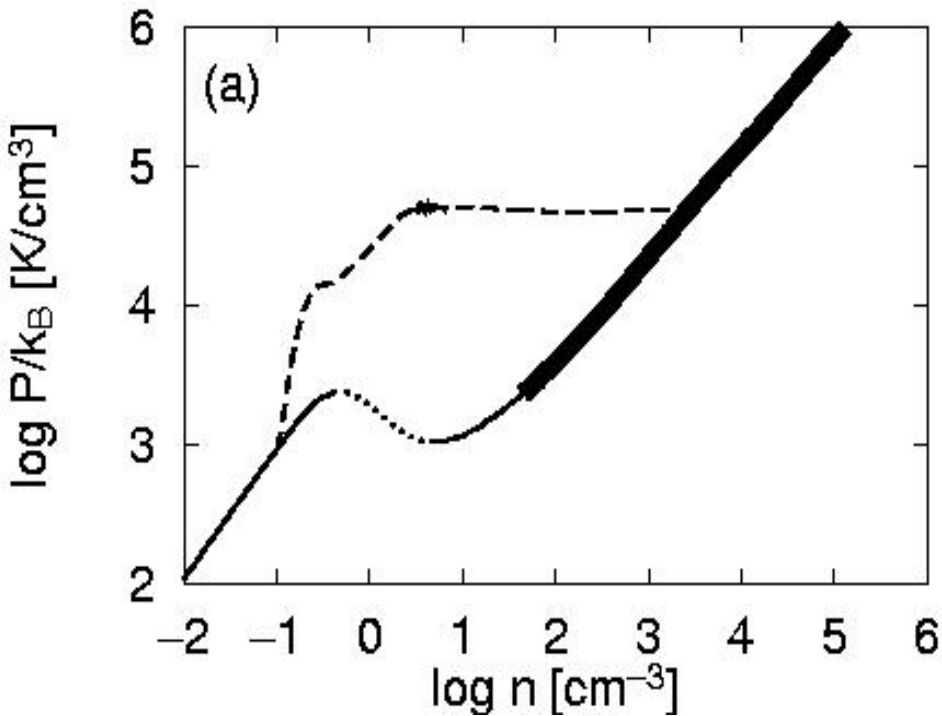
$$\rho_i = m_H n(\text{HII}) + 12 m_H n f_{\text{CII}},$$

$$0 = \zeta n(\text{HI}) - n(\text{HII}) n(e) \alpha(T),$$

$$n(e) = n(\text{HII}) + n f_{\text{CII}}.$$

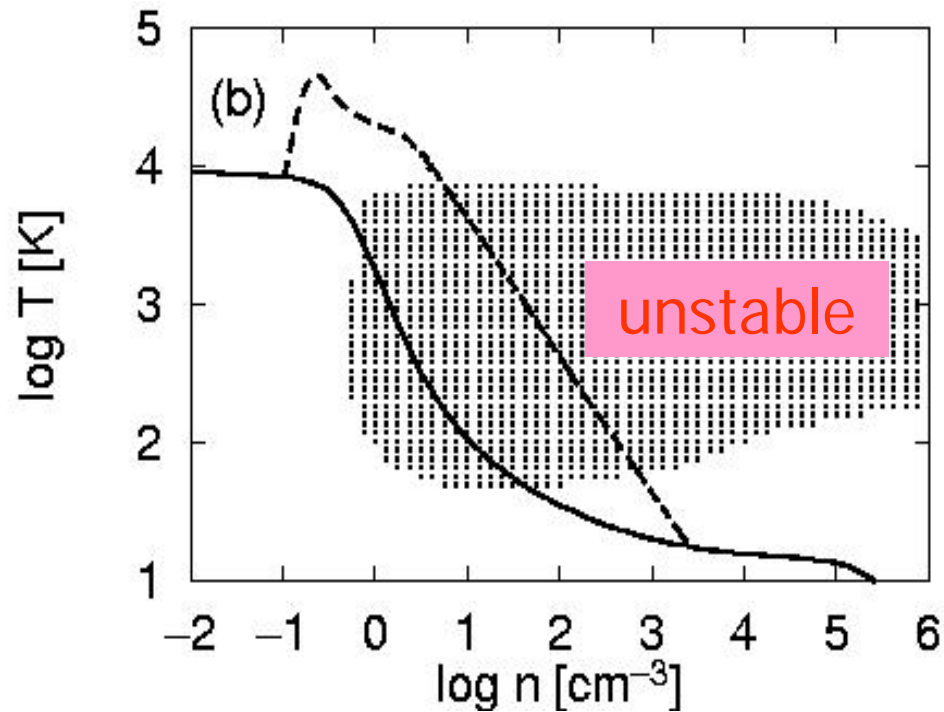
1D Shock Propagation into WNM

Density-Pressure Diagram



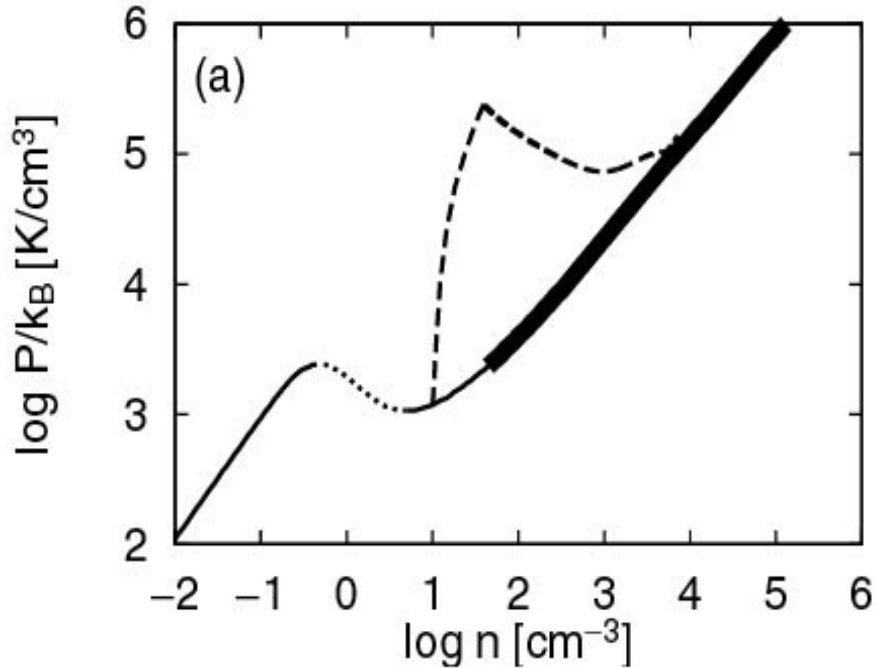
Density-Temperature Diagram

– through unstable region

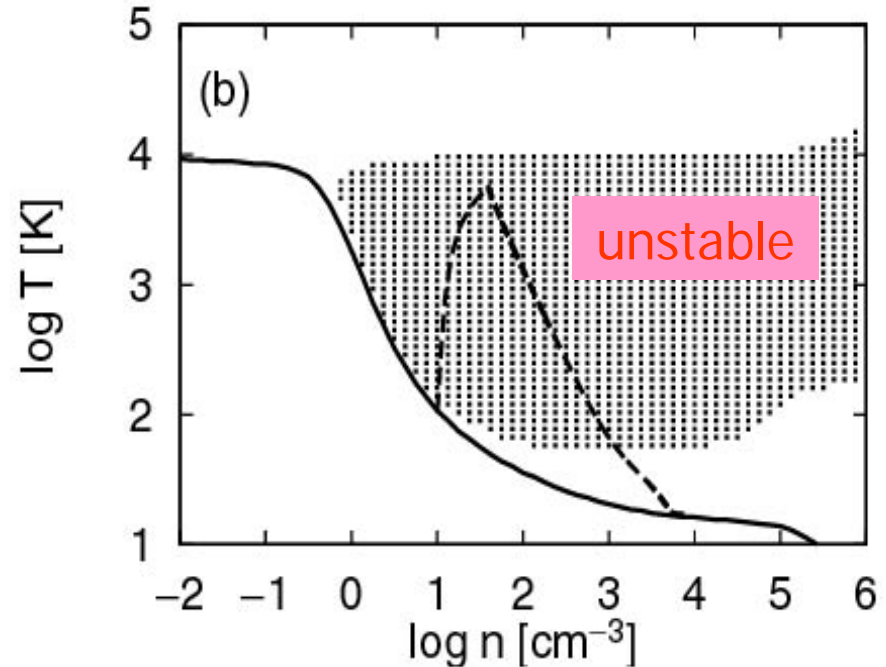


1D Shock Propagation into CNM

Density-Pressure Diagram

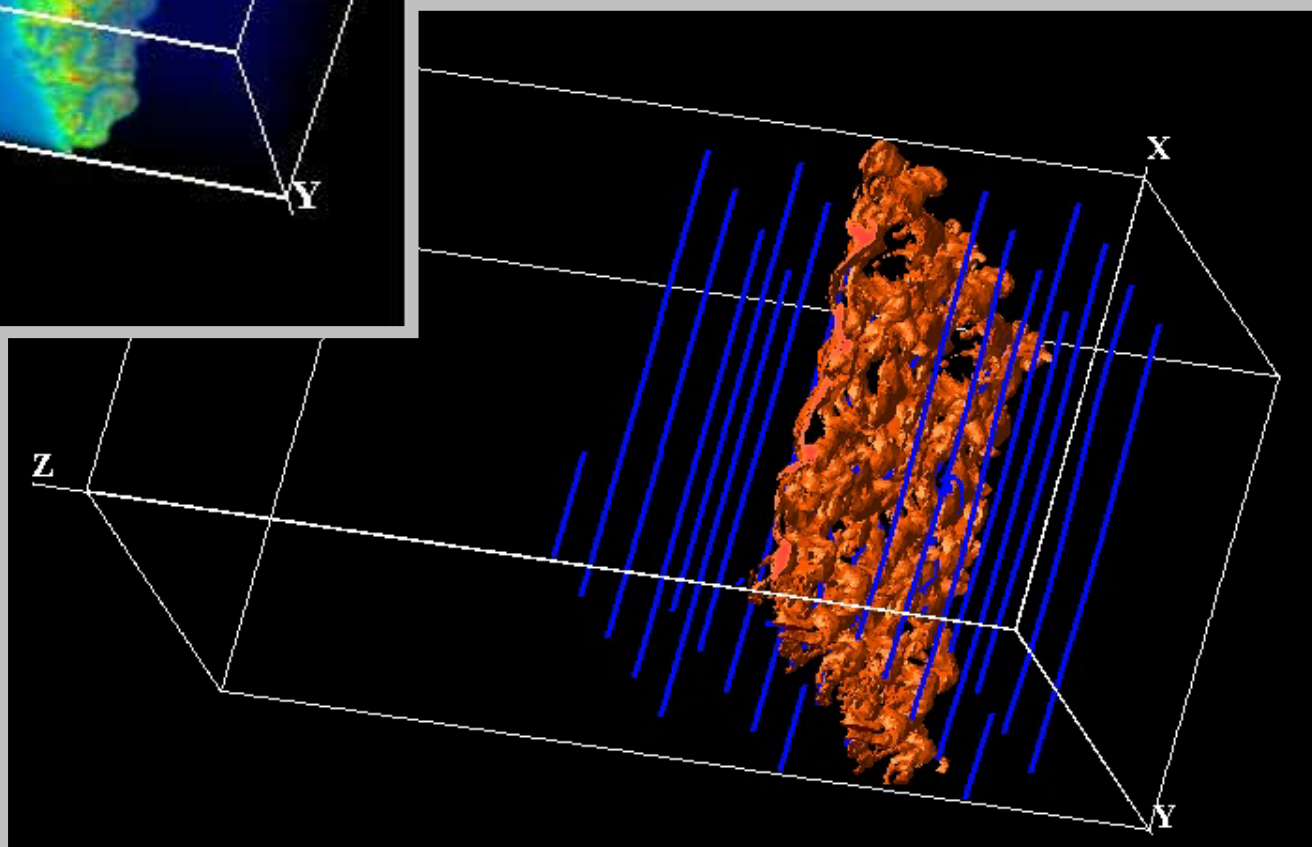
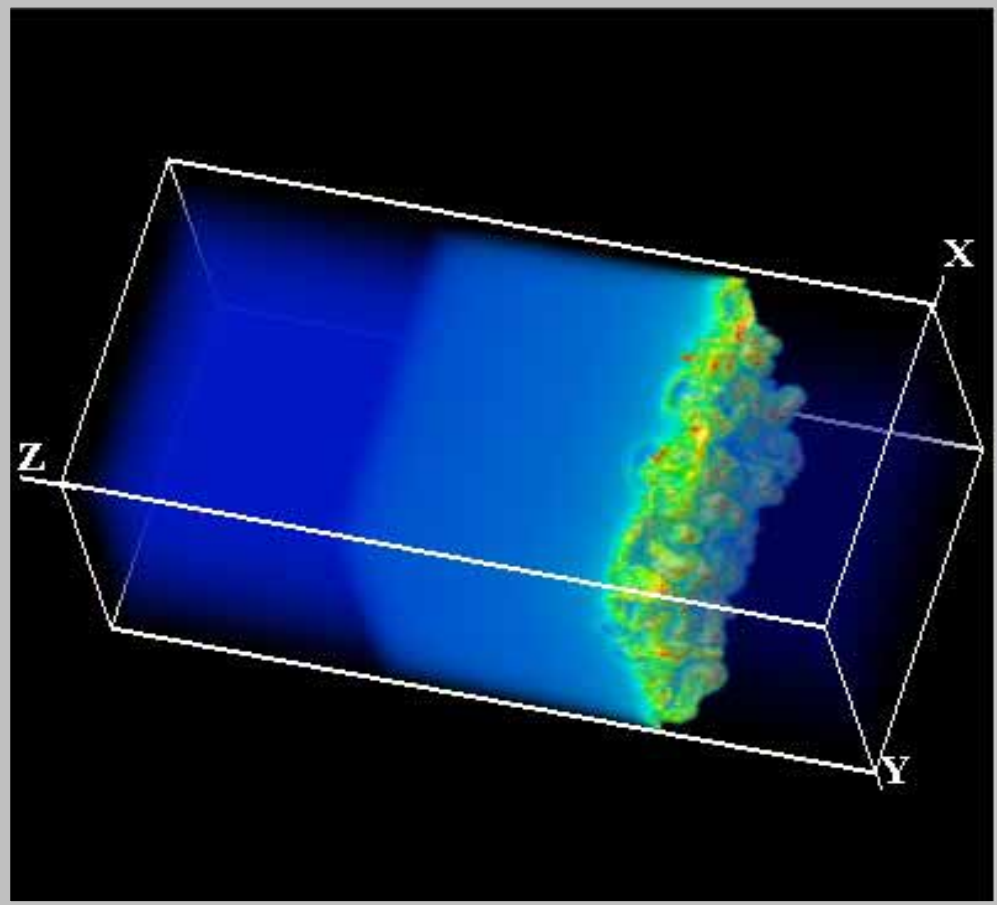


Density-Temperature Diagram



CNM becomes thermally unstable with shock.

WNM Swept-Up Up by MHD Shock (3D)



Warning to Numerical Simulation

THE ASTROPHYSICAL JOURNAL, 602:L25–L28, 2004 February 10
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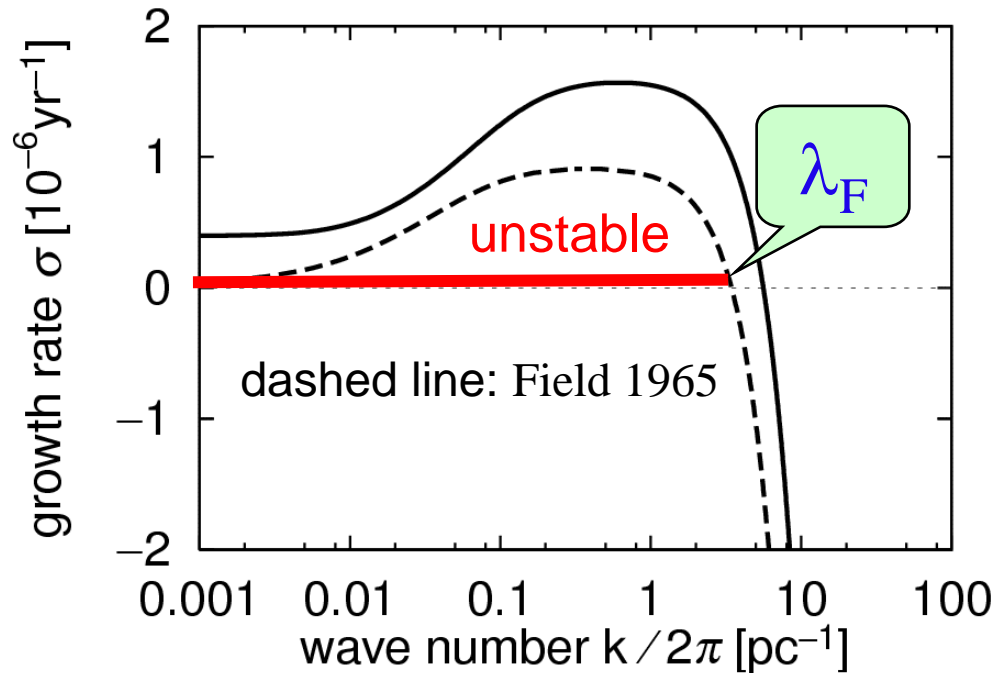
THE FIELD CONDITION: A NEW CONSTRAINT ON SPATIAL RESOLUTION IN SIMULATIONS OF THE NONLINEAR DEVELOPMENT OF THERMAL INSTABILITY

HIROSHI KOYAMA^{1,2} AND SHU-ICHIRO INUTSUKA³

Received 2003 February 6; accepted 2004 January 2; published 2004 January 30

Requirement for
Spatial Resolution
“Field Condition”

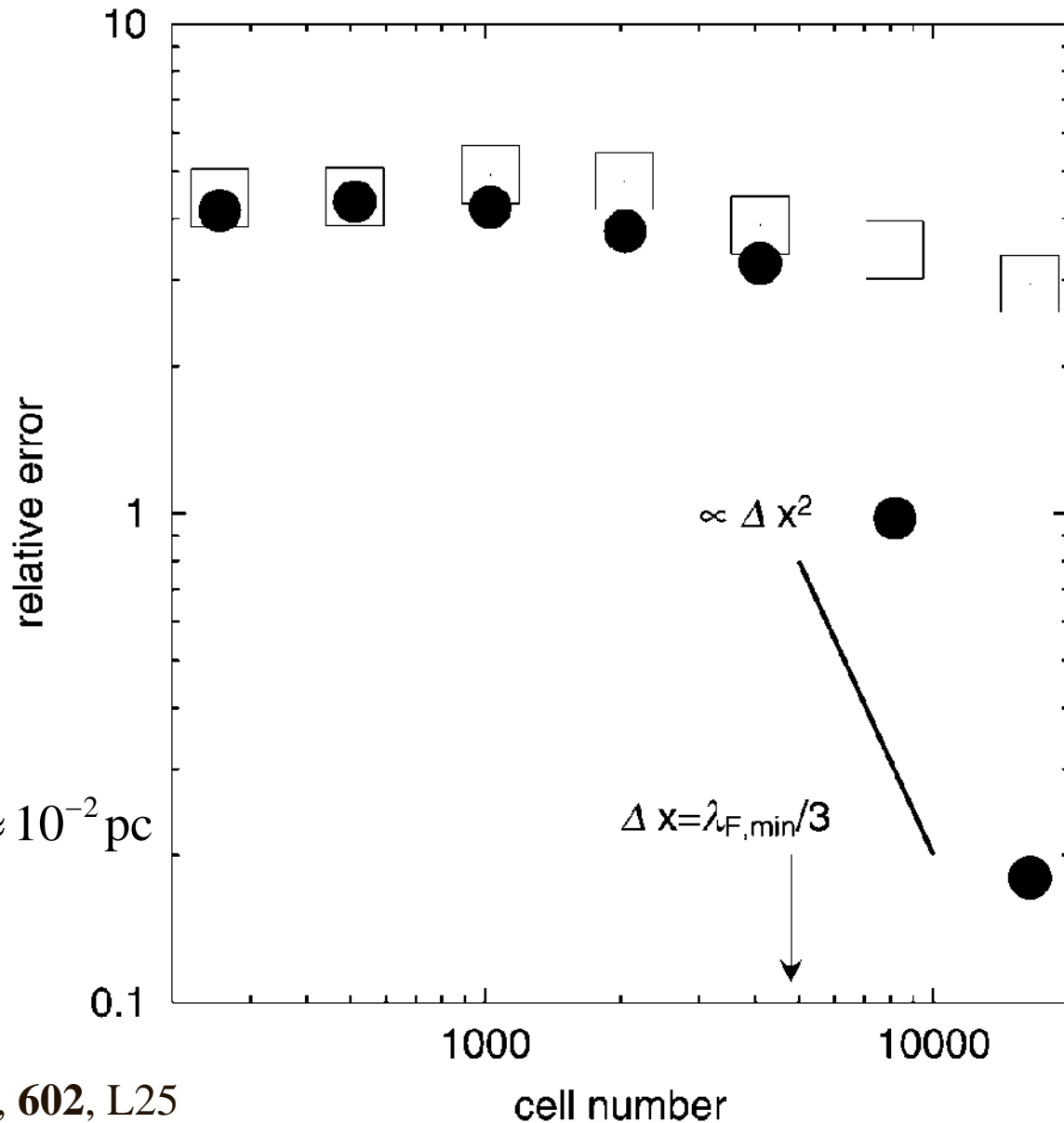
We should resolve the
structure of
transition layer: λ_F



“Field length”: $\lambda_F \equiv \sqrt{\frac{KT}{\rho^2 \Lambda}} \approx 10^{-2} \text{pc}$

No convergence for
 $\Delta x > \lambda_F/3$

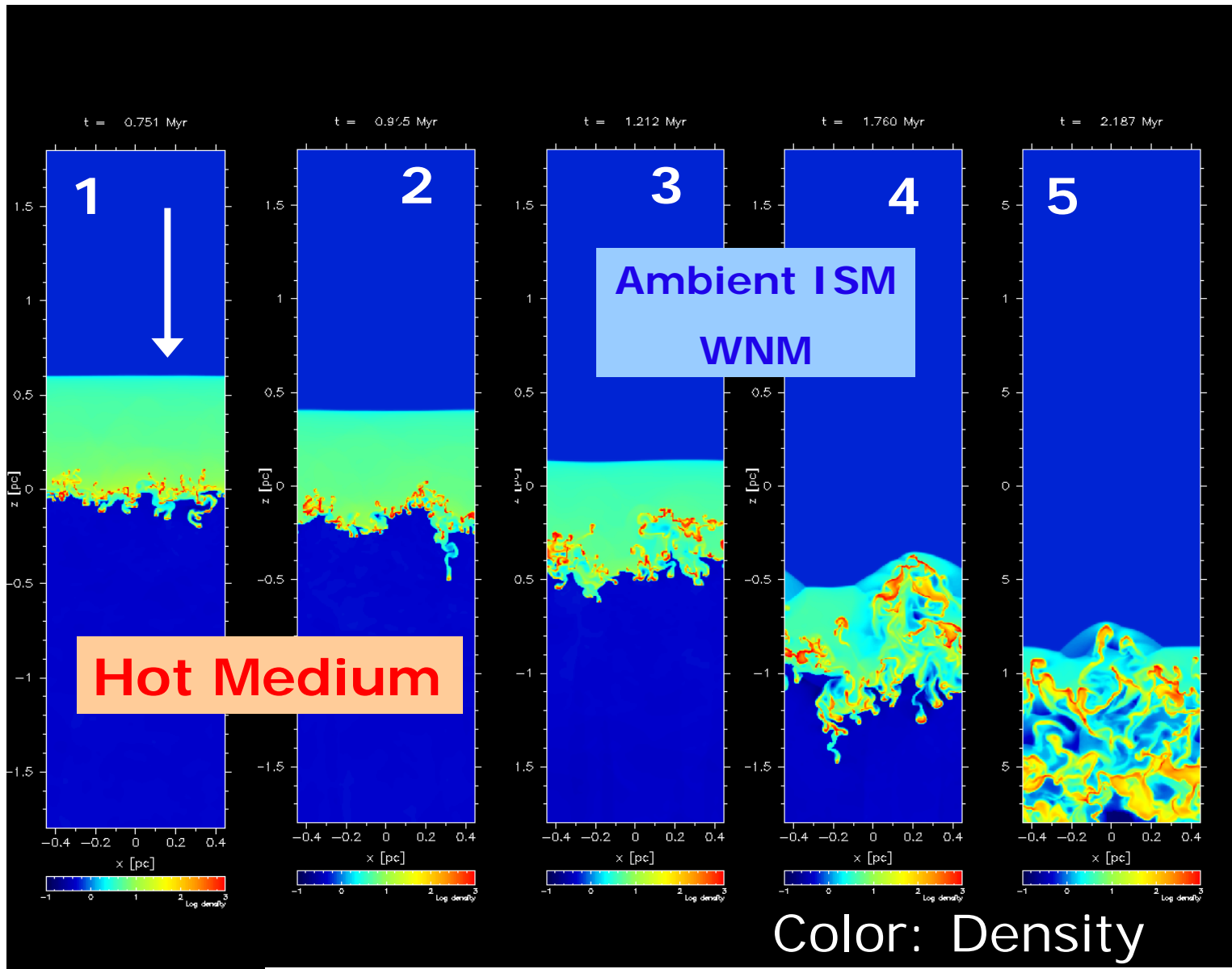
“Field length”: $\lambda_F \equiv \sqrt{\frac{KT}{\rho^2 \Lambda}} \approx 10^{-2} \text{ pc}$



Koyama & Inutsuka (2004) ApJ, **602**, L25

FIG. 3.—Convergence test for density distribution at $t = 8$ Myr. The error function is defined by eq. (6). Model CV (*open squares*) and model CCV (*filled circles*) are presented.

Shock Propagation into WNM



Koyama & Inutsuka, 2001

Summary of TI-driven Turbulence

- 2D/3D Calculation of The Propagation of Shock Wave into WNM

via **Thermal Instability**

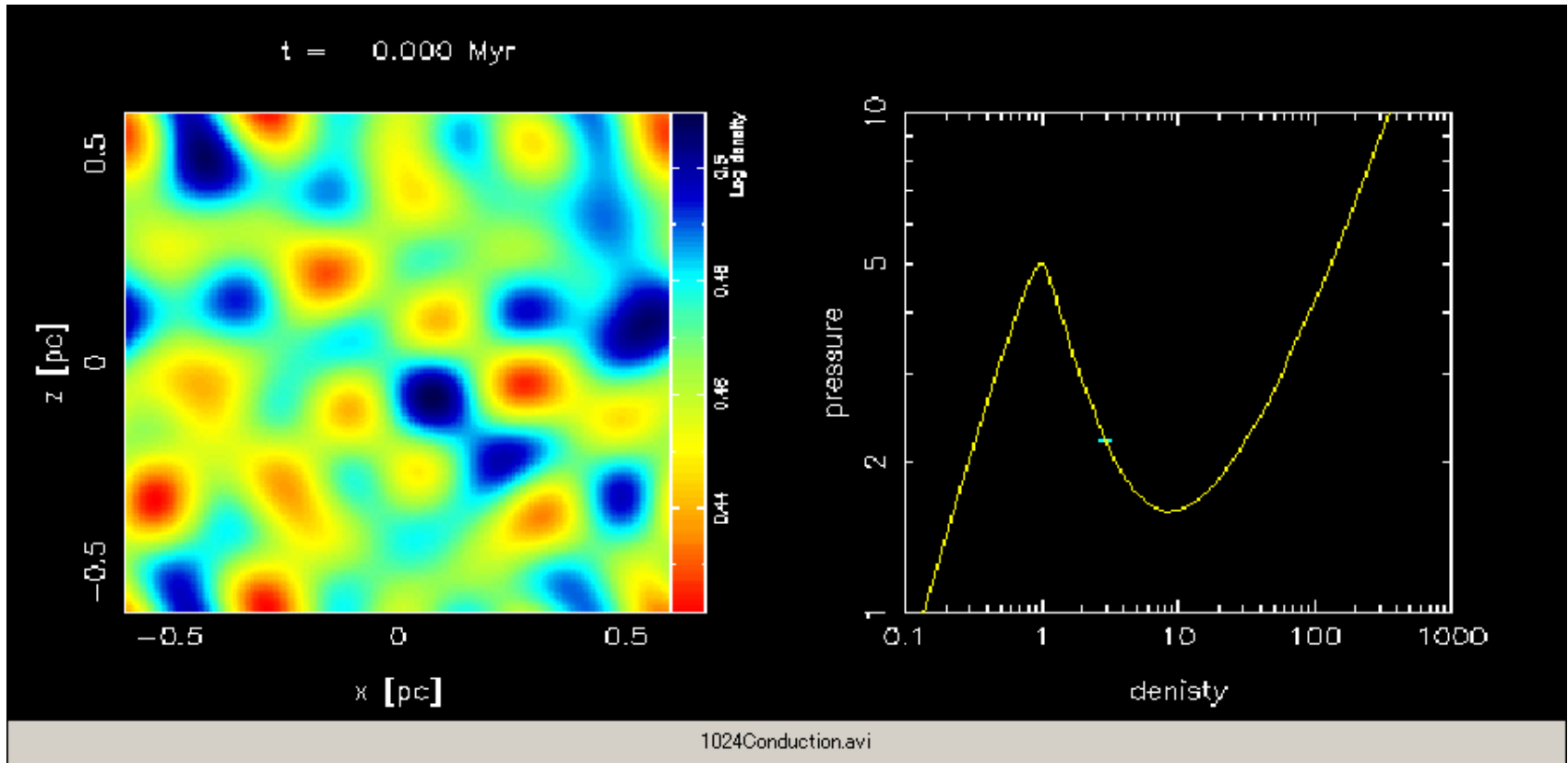
fragmentation of the cold layer into cold clumps with long-sustained supersonic velocity dispersion (\sim km/s)

1D: Shock E_{th} E_{rad}

2D&3D: Shock E_{th} E_{rad} + E_{kin}

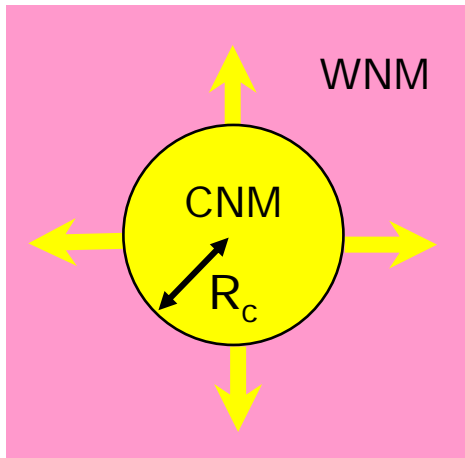
$$\delta v \sim \text{a few km/s} < C_{S, \text{WNM}}$$

2D Evolution from Unstable Equilibrium



With Cooling/Heating and Thermal Conduction
Without Physical Viscosity $\rightarrow Pr = 0$

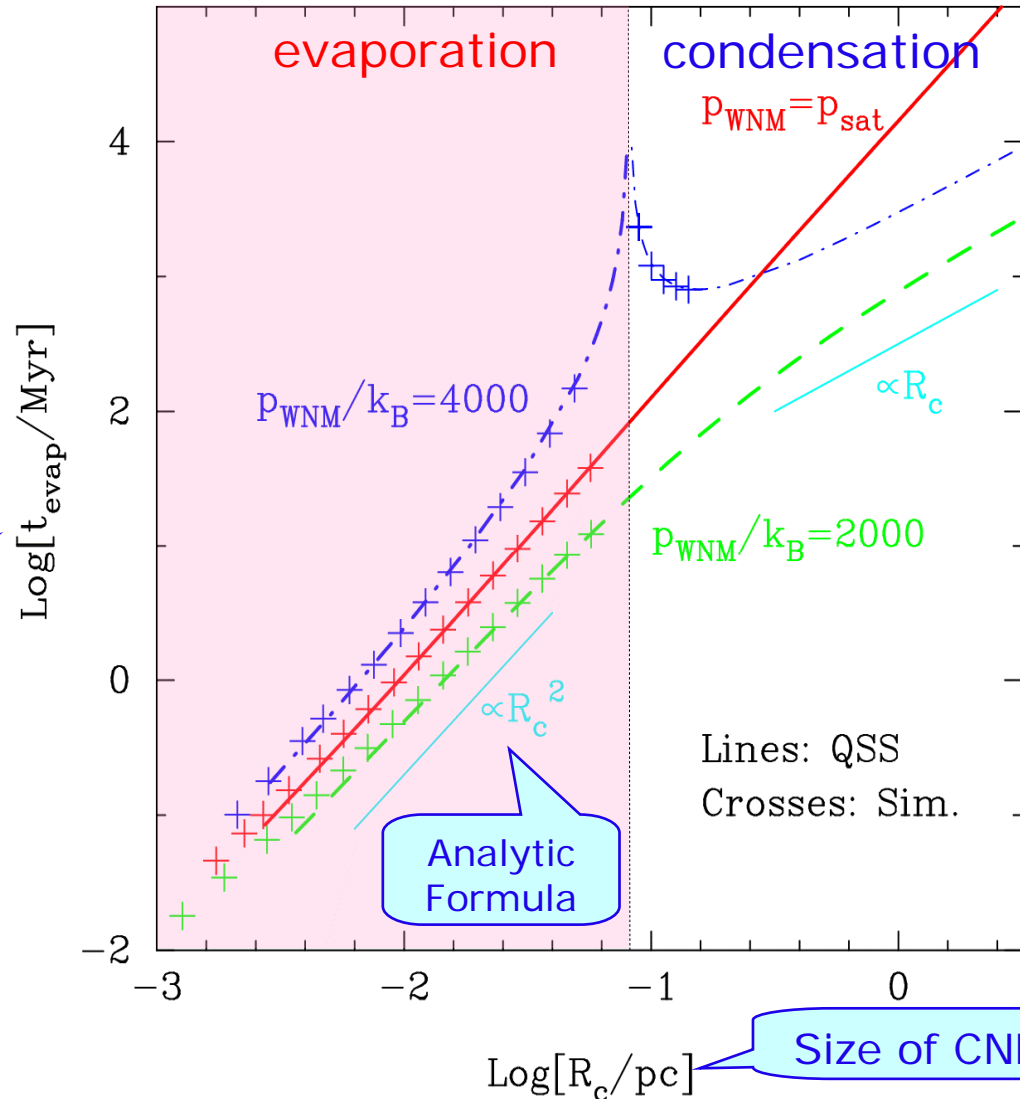
Evaporation of Spherical CNM in WNM



Evaporation
Timescale

Smaller CNM
cloud evaporates:

$R \sim 0.01 \text{ pc}$ clouds
evaporate in $\sim \text{Myr}$

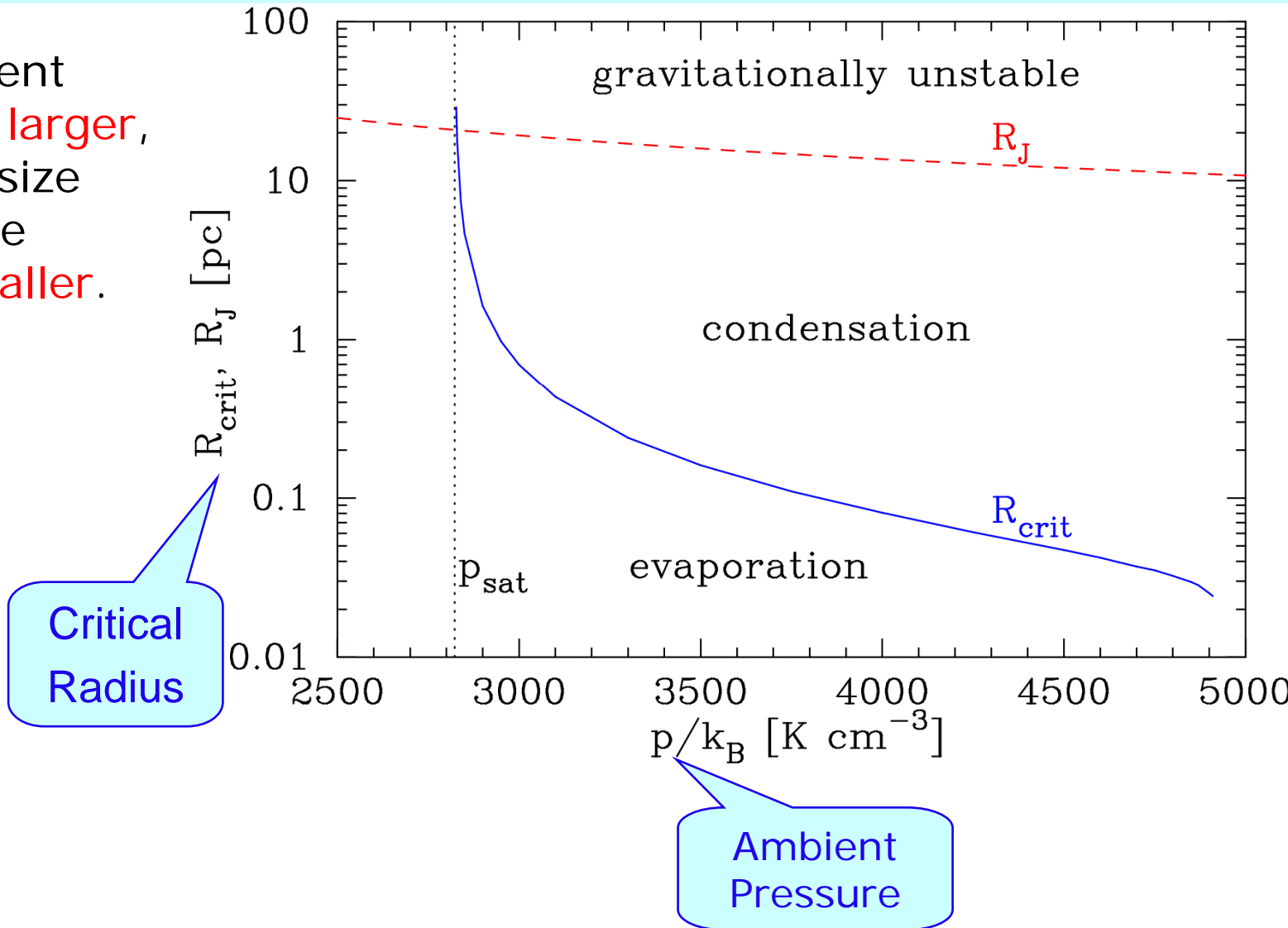


Nagashima, Koyama, Inutsuka & 2005, MN **361**, L25

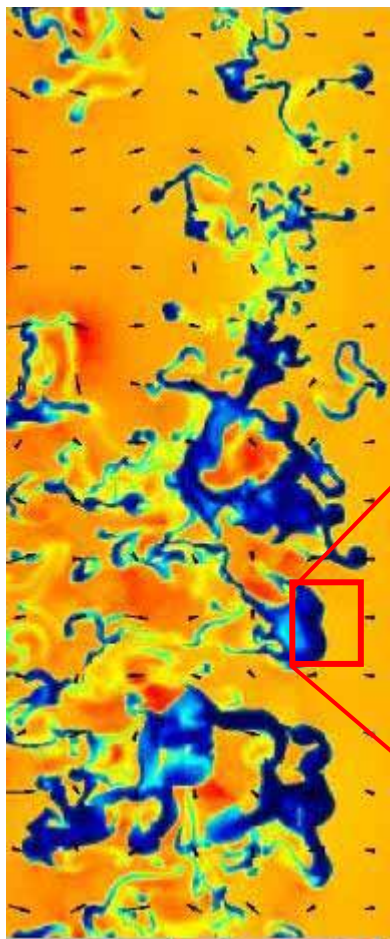
Nagashima, Inutsuka, & Koyama 2006, ApJL **652**, in press (astro-ph/0603259)

Evaporation of Spherical CNM in WNM

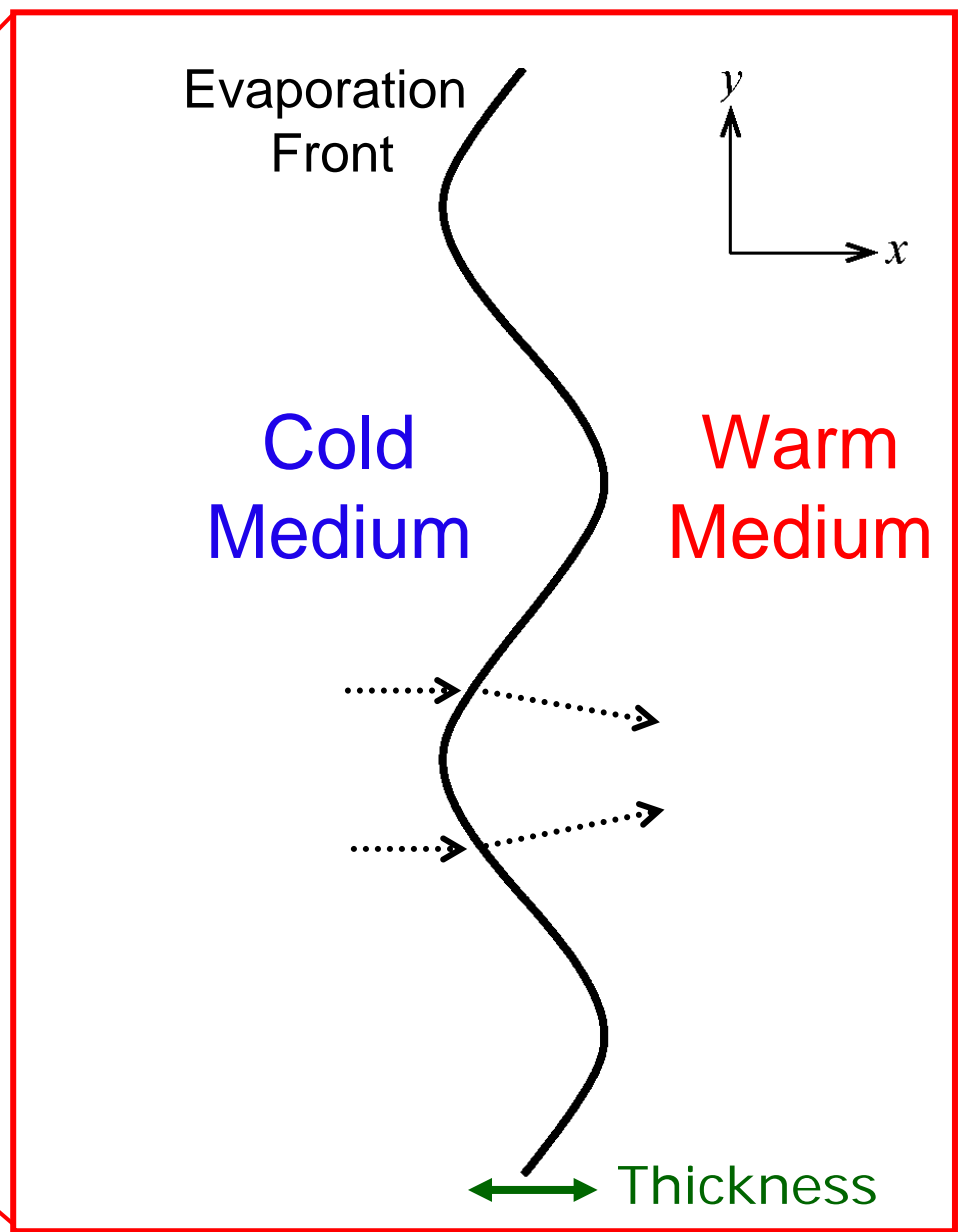
If the ambient pressure is larger, the critical size of the stable cloud is smaller.



Instability of Transition Layer



important in maintaining
the “turbulence”



Instability of Transition Layer

Similar Mechanisms...

1) Darrieus-Landau (DL) Instability

Flame-Front Instability

Important in SNe Ia

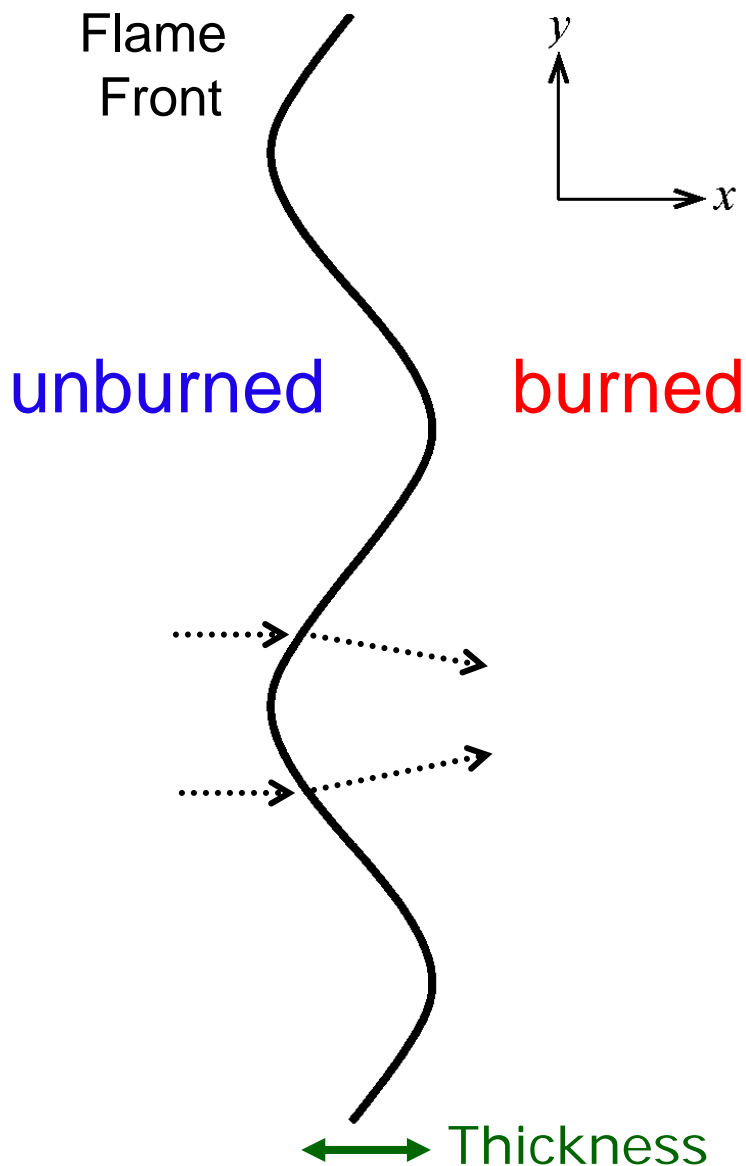
Effect of Magnetic Field

See Dursi (astroph/0312135)

2) Corrugation Instability in MHD Slow Shock

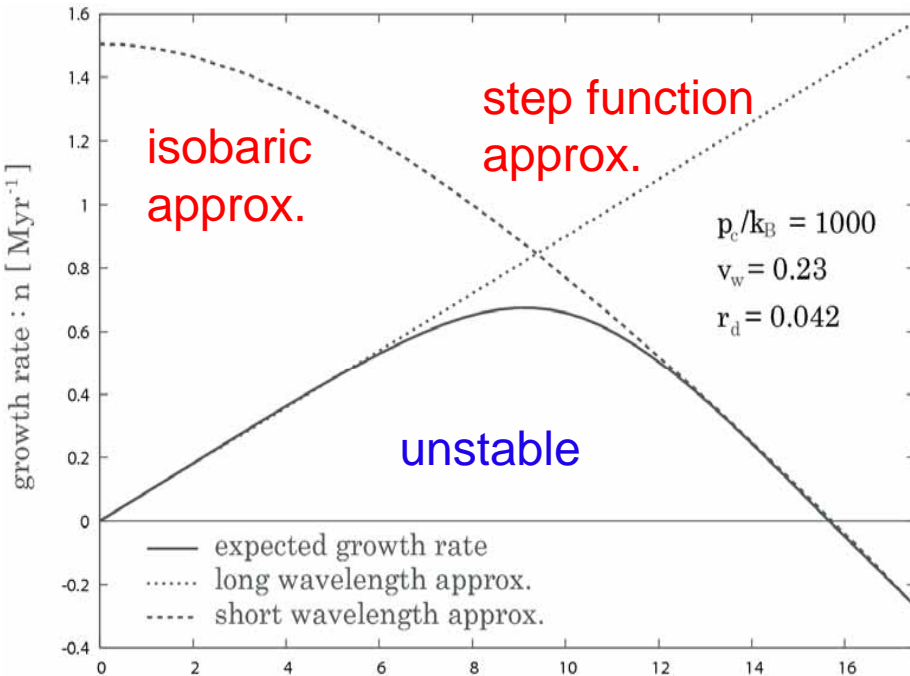
– Edelman 1990

– Stone & Edelman 1995



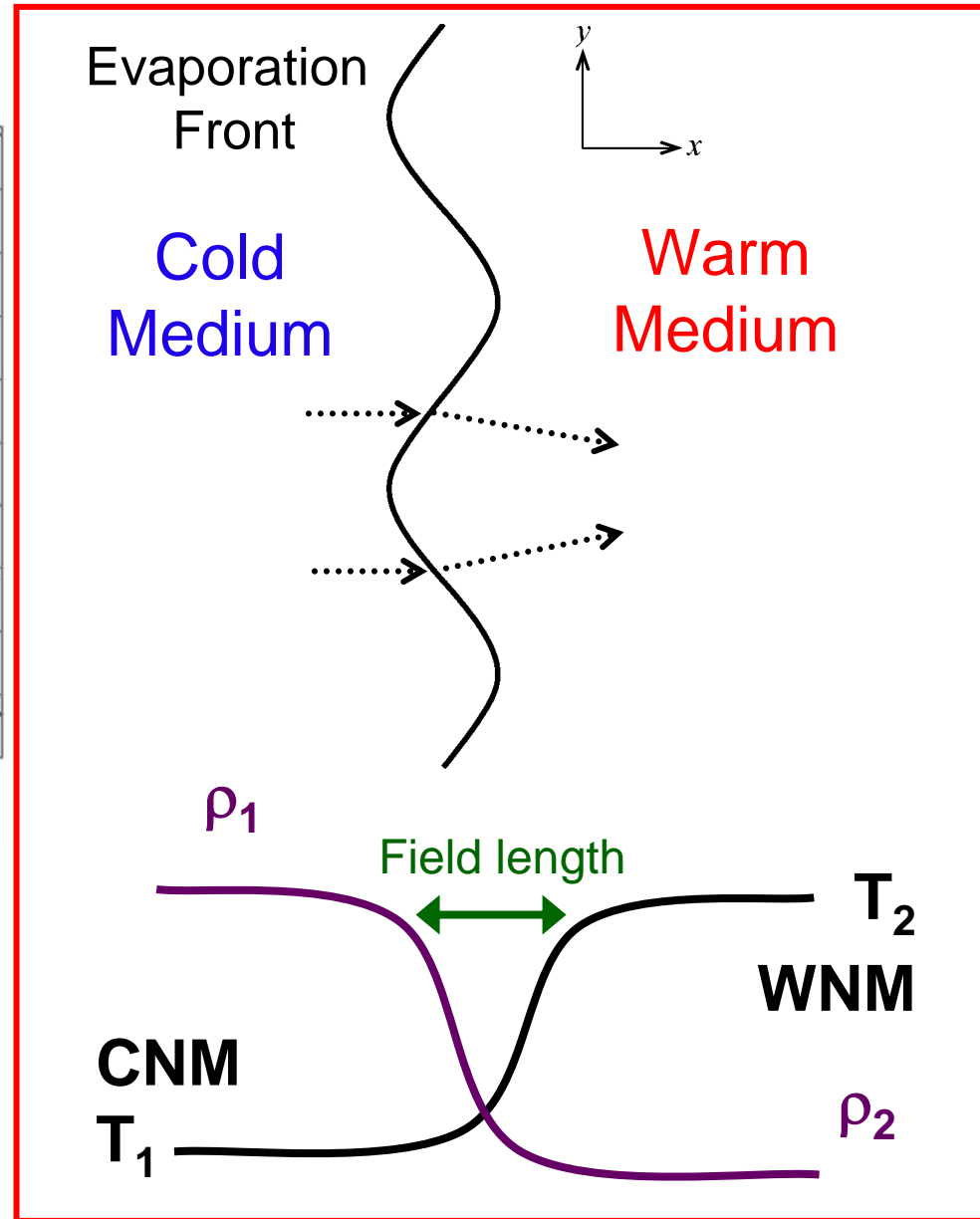
Linear Analysis of New Instability

Growth Rate (Myr^{-1})



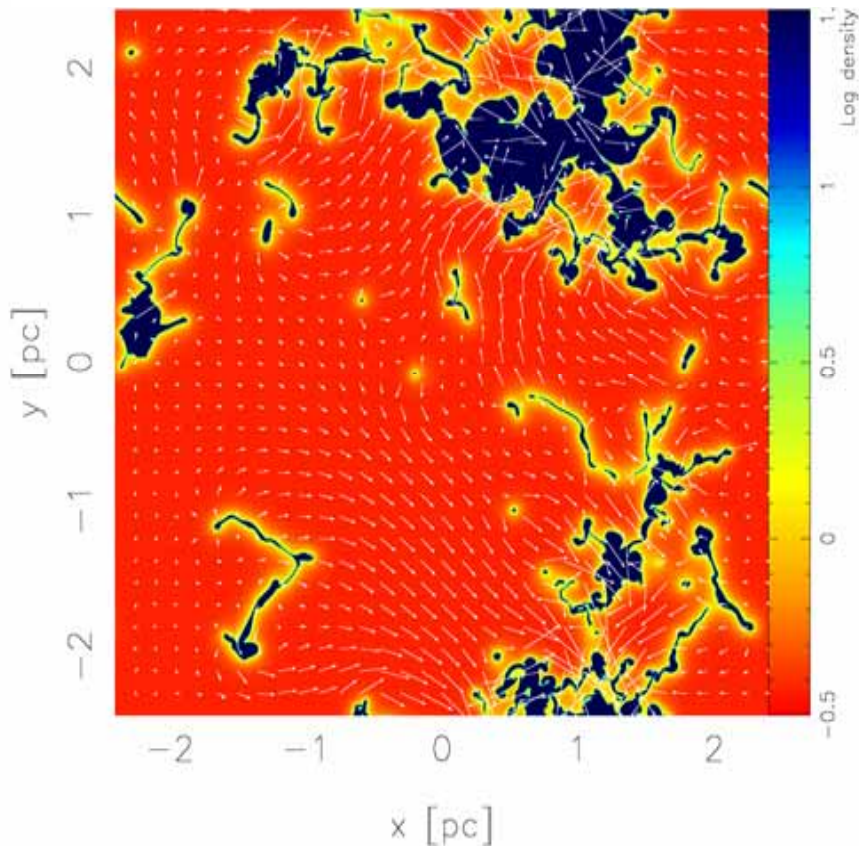
wavenumber $k_y/2\pi$ [pc^{-1}]

Inoue, Inutsuka, & Koyama
 2006, ApJ **652**, in press
 (astro-ph/0604564)

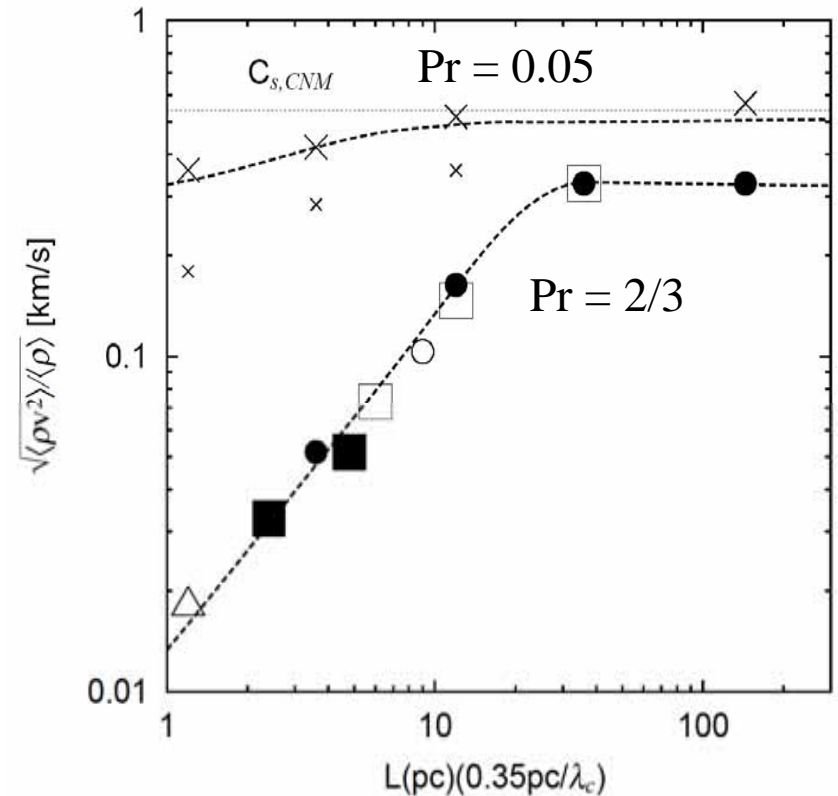


Non-Linear Development of TI without External Forcing

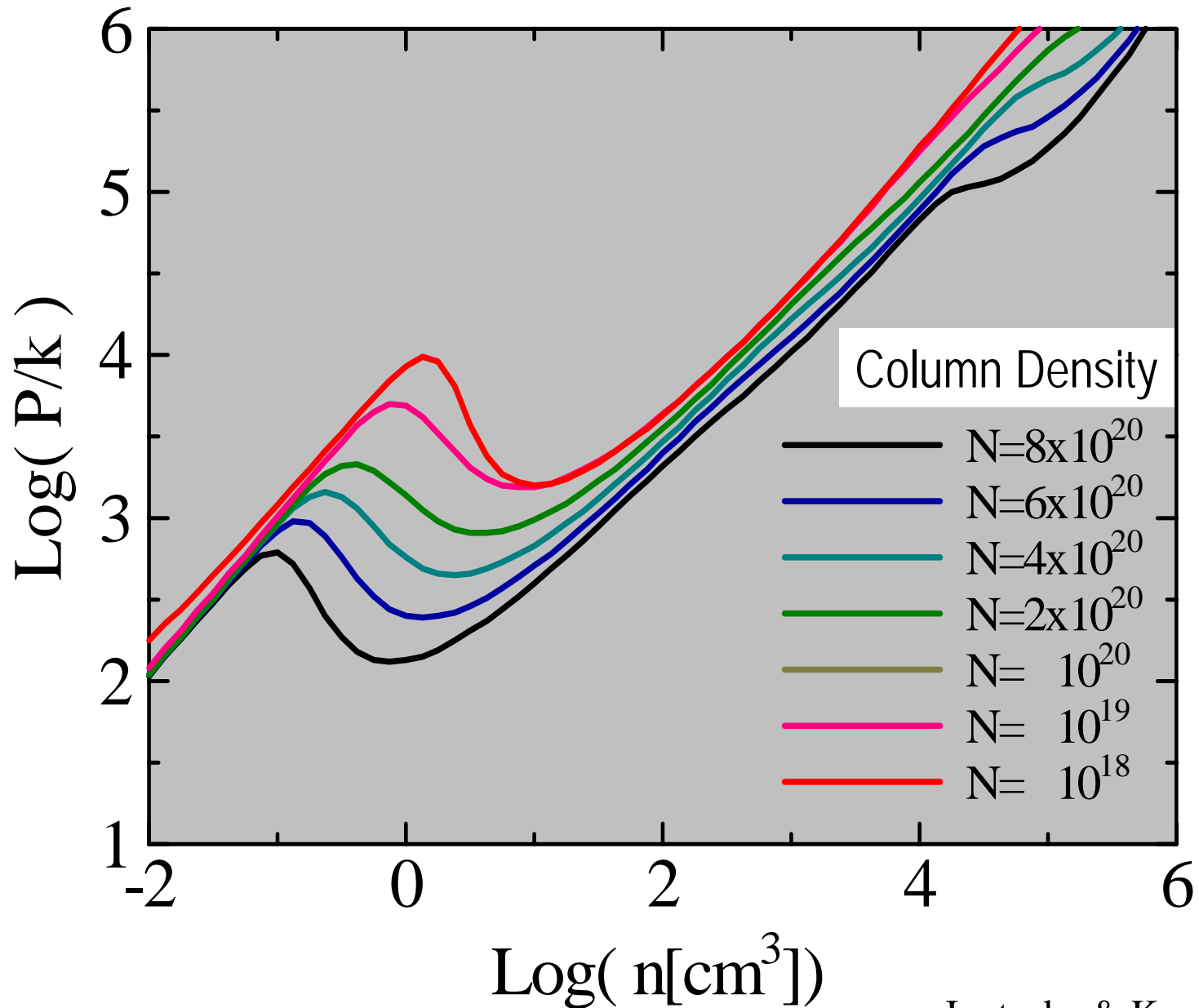
Turbulent Motions Driven by Thermal Instability



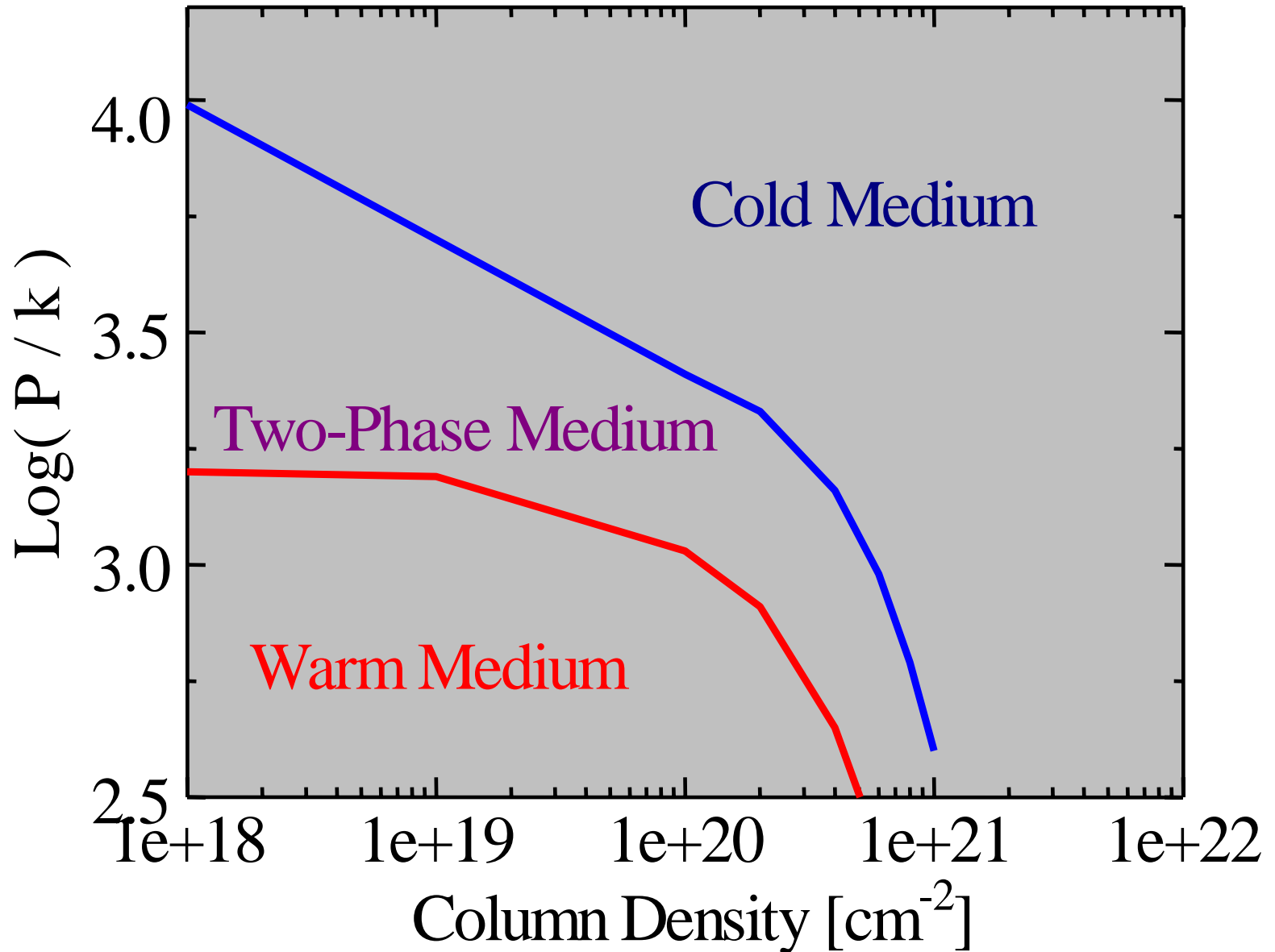
Amplitude of Turbulent Velocity vs. **Domain Length**



Equilibrium with Various Column Density



Allowed Region of 2-Phase Medium



When column density is sufficiently large,

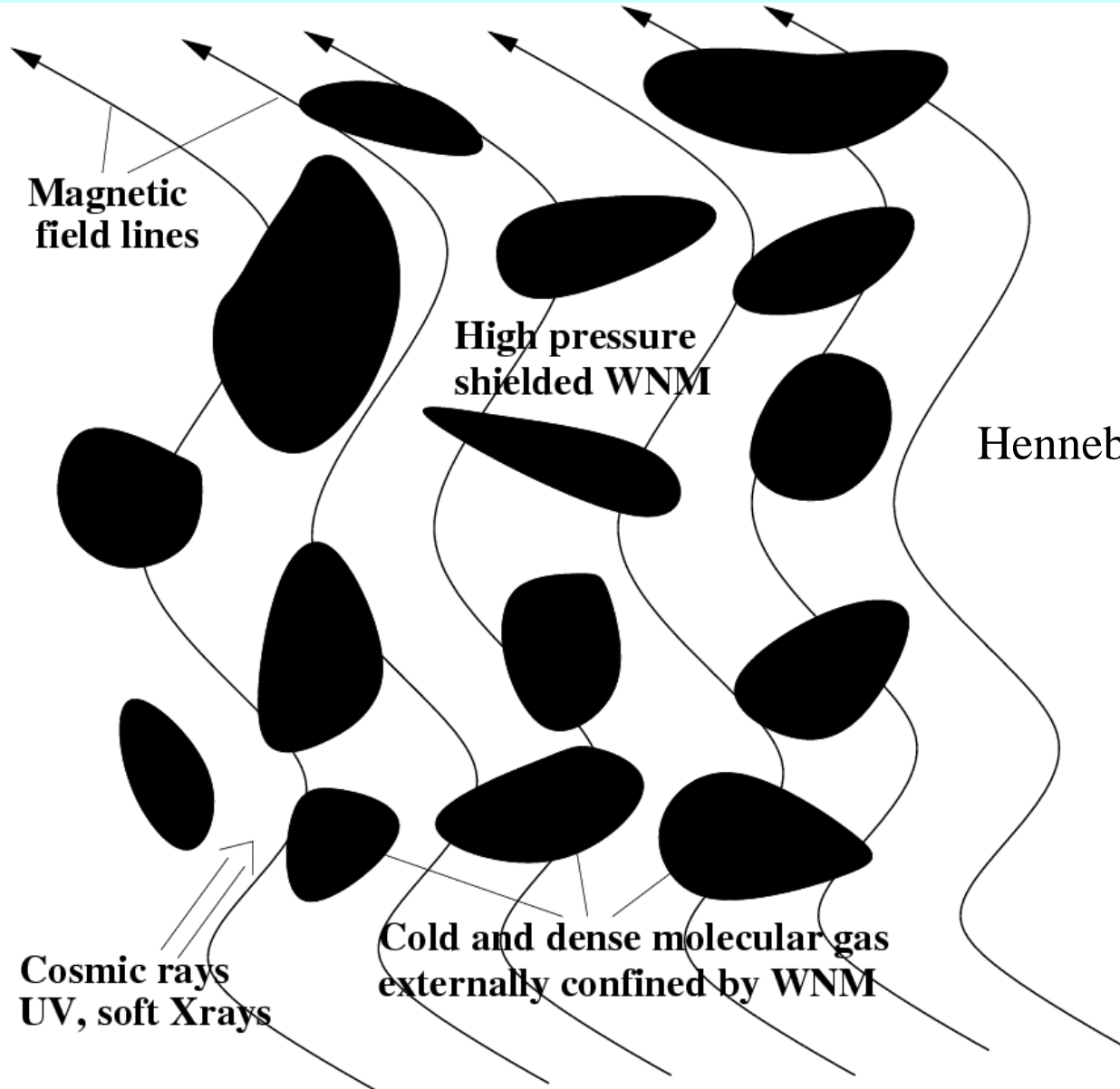
$$N_{\text{H}} > 10^{21} \text{ cm}^{-2} \text{ or } A_{\text{V}} > 1 \text{ mag}$$

ambient radiation field does not provide sufficient radiative heating for WNM.

Without any heating WNM simply cools down very quickly.

Is there any heating to WNM
inside Molecular Clouds?

Schematic Picture



Hennebelle & Inutsuka 2006
ApJ **647**, 404

Heating due to Dissipation of MHD Waves

$$\delta B \approx B \rightarrow E_{\text{wave}} \approx B^2/8\pi$$

Assume $B \approx 10\mu\text{G} (n_{\text{WNM}} / 1\text{cm}^{-3})^{0.5}$ (e.g., Heiles & Troland)

Damping Timescale: $t_{\text{damp}} = 2\gamma\rho_i/(V_A^2 k^2)$

$$\gamma \approx 5.7 \times 10^{14} (v_{\text{rms}}/\text{km s}^{-1})^{0.75} \text{cm}^3 \text{g}^{-1} \text{s}^{-1}$$

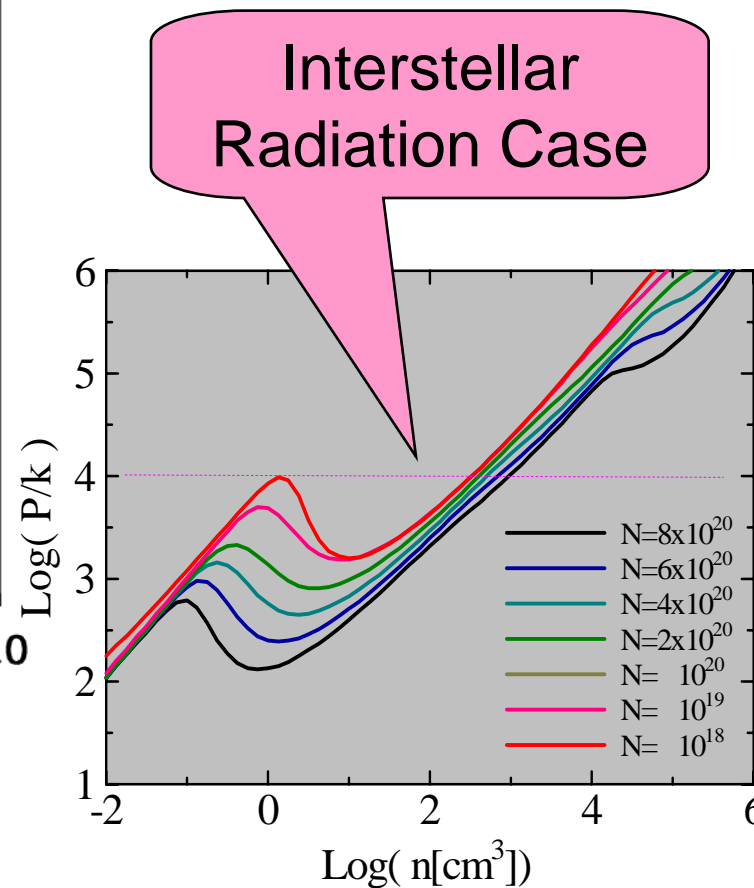
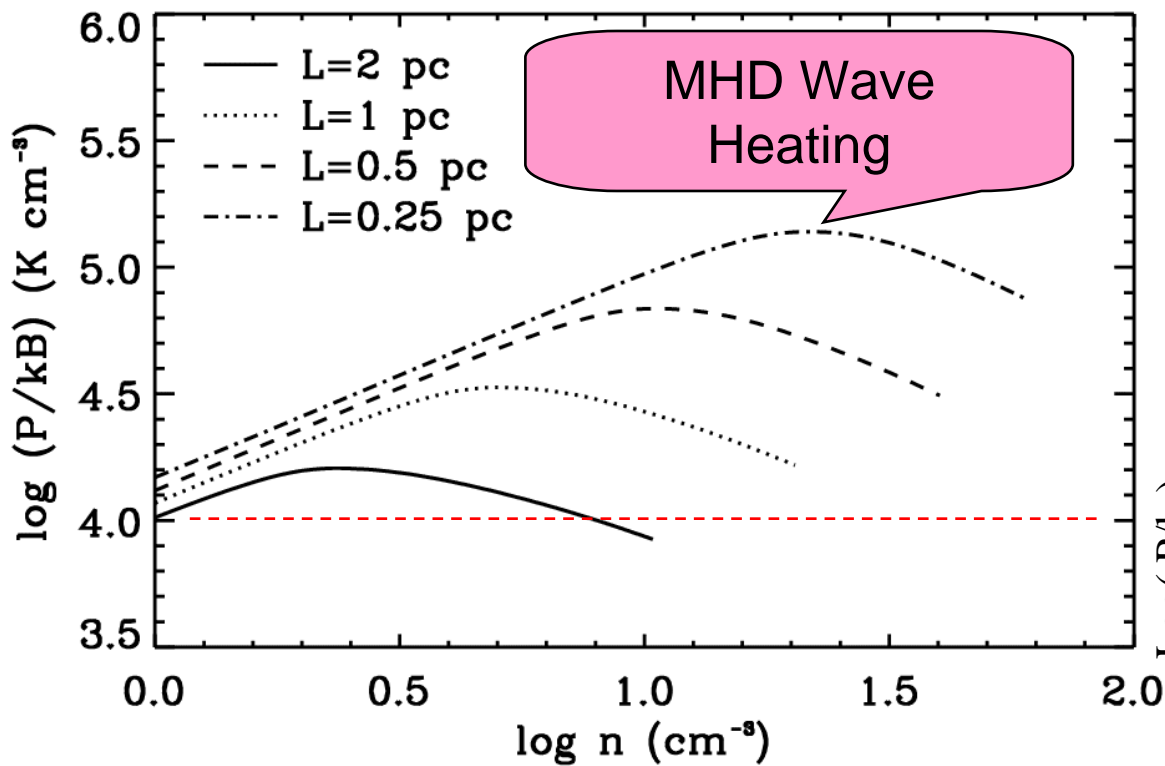
Glassgold et al. 2005

Heating Rate: $\Gamma \approx E_{\text{wave}}/t_{\text{damp}}$

$$\approx 3 \times 10^{-24} (1\text{cm}^3/n_{\text{WNM}})^{0.5} (1\text{pc}/\lambda)^2 \text{erg}^{-1} \text{s}^{-1}$$

& Cooling Rate: $\Lambda_{\text{WNM}} \approx 10^{-25} \text{erg cm}^{-3} \text{s}^{-1}$

WNM in Molecular Clouds: Thermal Equilibrium with MHD Wave Heating



$$P_{\text{MC}} = nT = 10^4 (n/10^3) (T/10\text{K})$$

Heating is **sufficient** for
WNM to **survive** in MC.

Summary

- Shock waves in ISM create turbulent CNM embedded in WNM.
- In TI-driven turbulence in Multi-Phase ISM
 - Evaporation/Condensation of CNM clouds
 - New Instability in Evaporation Front
- Can WNM Survive in Molecular Clouds?
 - Possible: Dissipation of MHD Waves

Future Work

- **RHD** calculation of the evolution of two phase medium...
- When **self-gravity** becomes important?