

Introduction

What are Ultra High Energy Cosmic Rays (UHECRs)?

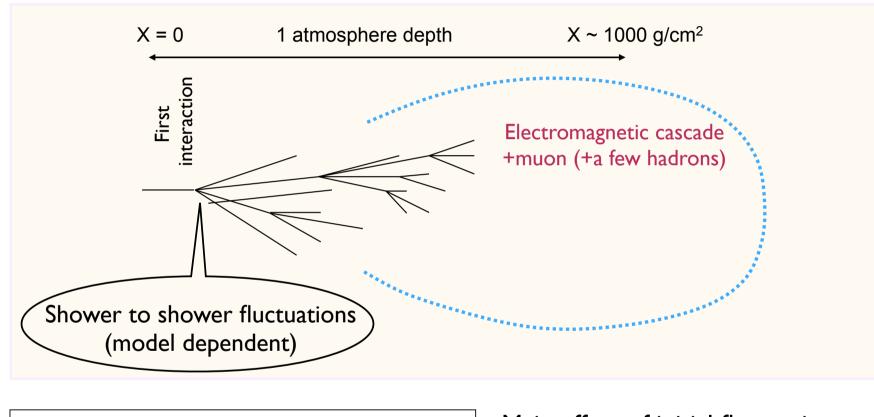
Cosmic rays elementary particles, nuclei, and electromagnetic radiation of extra-terrestrial origin. Ultra-high energy cosmic rays? - cosmic rays with energies above ~10¹⁸eV

The Mystery of Ultra-High Energy Cosmic Rays

-How are UHECRs accelerated to such extreme energies? -Where do UHECRs come from?

-What is the composition of the UHECRs?

Particles generate from air shower simulation



How to simulate an EAS ?

Follow the particles and their fate

Main effect of initial fluctuations : Global translation of em. Cascade Modulation of muon rate

Air shower simulation

COSMOS : Hybrid with sub-shower library (Kasher et al)

MOCCA : Split algorithm, thinning, Pascal (Hillas)

AIRES : transcript of MOCCA to Fortran (Scout)

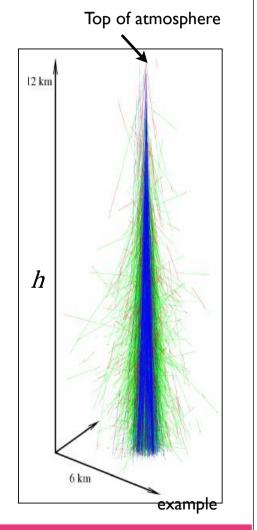
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SENECA : Hybrid with cascade equations (Drescher et al)

Probabilities (transport, interactions):

Decision by random numbers

→ Monte Carlo method



Particle for Interaction



The probability P_{int} to traverse a layer with thickness χ without interaction is

$$P_{int}(\chi) = \frac{1}{\lambda_{int}} e^{-\chi/\lambda_{int}}$$

The individually traversed matter thickness $~\chi~~is~~~\chi=-ln(RNDM)\cdot\lambda_{int}$ with random number ~~0< RNDM < 1

The mean free path
$$\lambda_{int}$$
 is given by $\lambda_{int} = \frac{\sum_{i=1}^{n} n_i A_i}{\sum_{i=1} n_i \sigma_{i_{int}}}$

with A_i = atomic weight of component i and σ_{int} = (energy dependent) cross-section of component i

The atomic fractions n_i (volume) of air are adopted to

N_2	0.7848	(78.084%)
O_2	0.2105	(20.948%)
Ar	0.0047	(0.934%)

Seed: every integer number I with $1 \le I \le 900\ 000\ 000$ starts an independent random number sequence

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Particle for Decay

The probability P_D to traverse a path ℓ without decay is

$$\mathbf{P}_{\mathbf{D}}(\ell) = \frac{1}{\ell_{\mathbf{D}}} \mathbf{e}^{-\ell/\ell_{\mathbf{D}}}$$

The individually traversed path length ℓ is $\ell = -\ln(\text{RNDM}) \cdot \ell_D$ with random number 0 < RNDM < 1

The mean free path ℓ_D is given by $\ell_D = \mathbf{c} \cdot \boldsymbol{\tau} \cdot \boldsymbol{\gamma} \cdot \boldsymbol{\beta}$

with

- c = vacuum speed of light,
- τ = particle life time at rest,
- γ = particle Lorentz factor and
- β = particle velocity in units of c

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Thinning method vs. Full M.C (no-thinning)

What is the problem from no-thinning? -Not enough disk space, Save CPU time

Why we need a thinning in the air shower simulations? -we can't be tracked the created particles, only selected ones

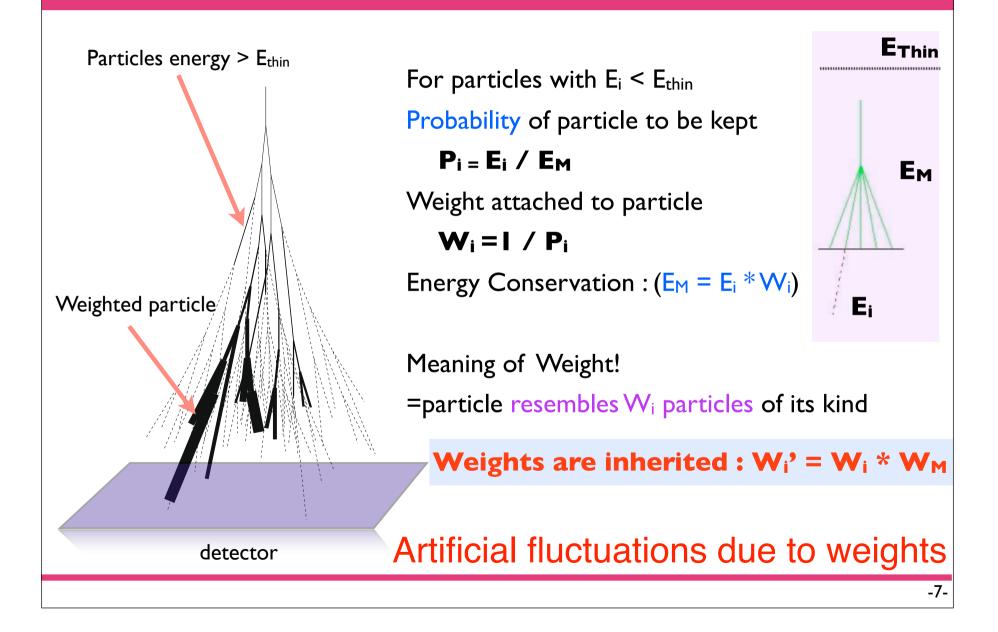
De-thinning

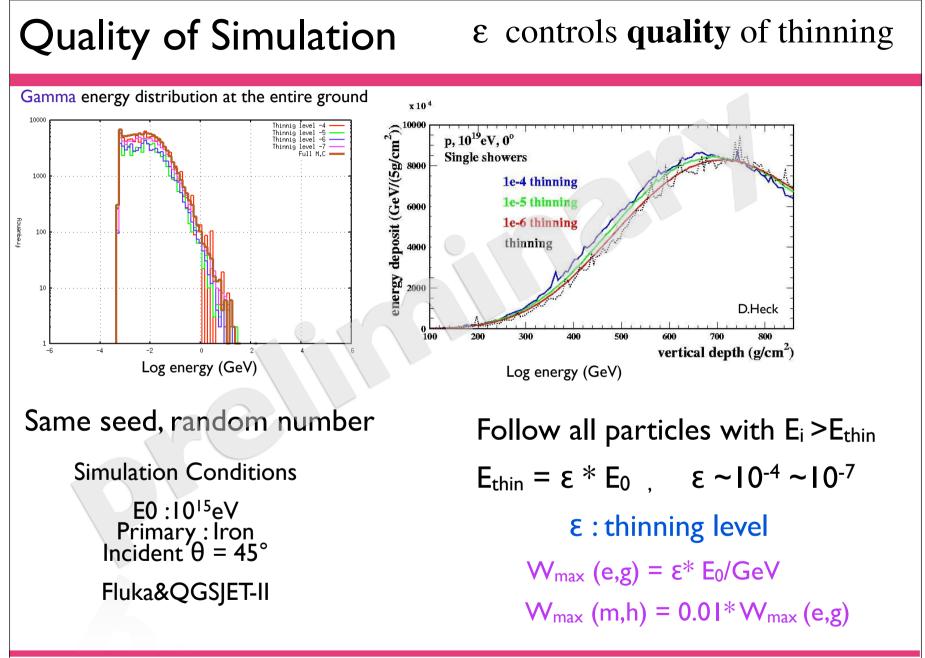
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How can we solve from this problem?-Random sampling from particle energy weight to selected particles

Goal

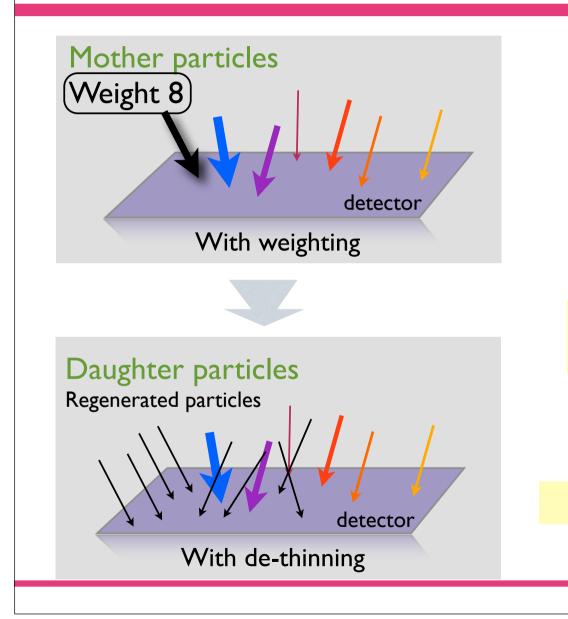
Thin method algorithm & Weight





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De-thinning



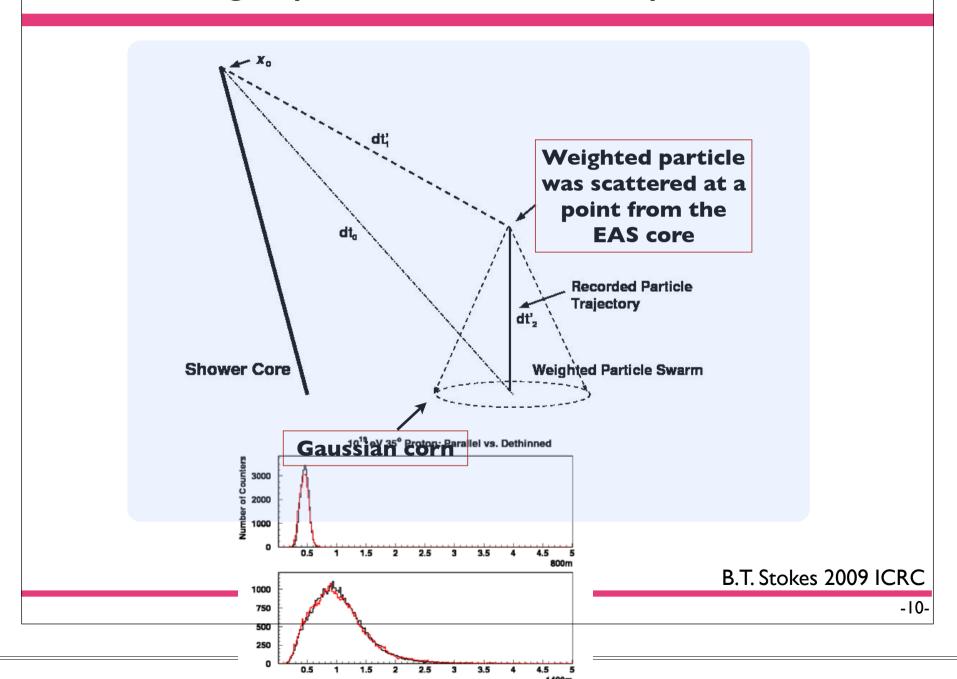
Recorded data

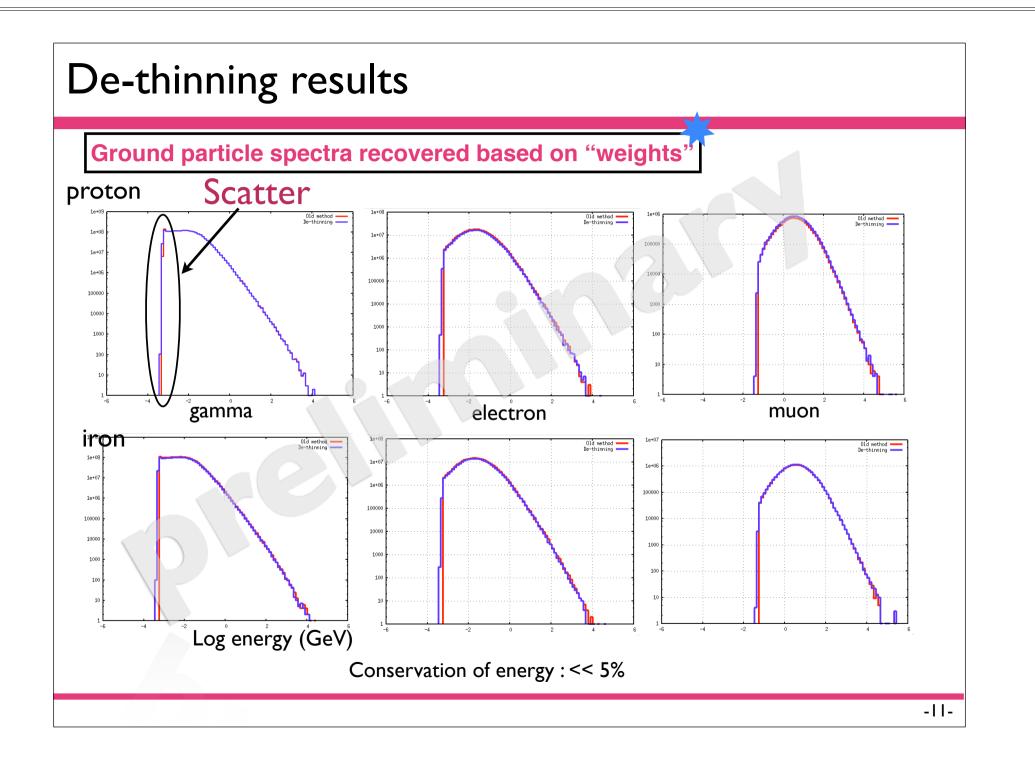
Particle energy Momentum px, py, pz Position x,y Incident angle Incident azimuth angle Weight

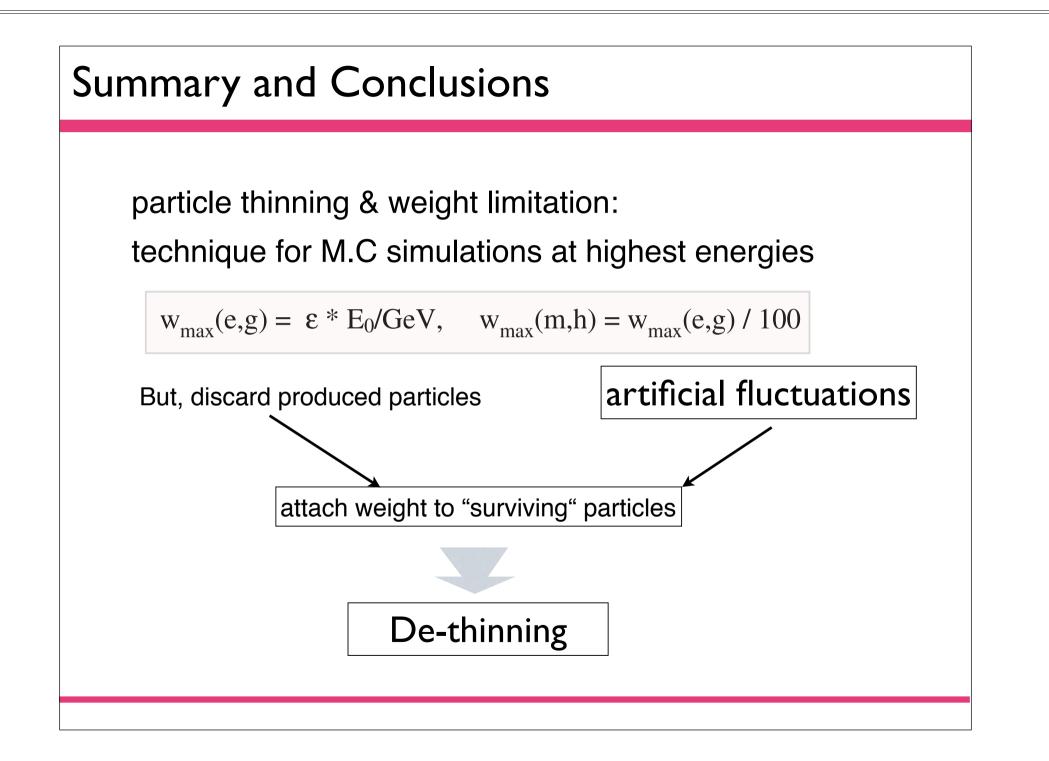
De-thinning (Keep small fluctuation)

Similar to Full M.C

De-thinning : sprinkle the thinned particles







Reference

- CORSIKA school : <u>http://www-ik.fzk.de/corsika/corsika-school2008/participants.htm</u>
- B.T. Stokes 2009 ICRC
- P. Billion 2009, AP 30, 270-285